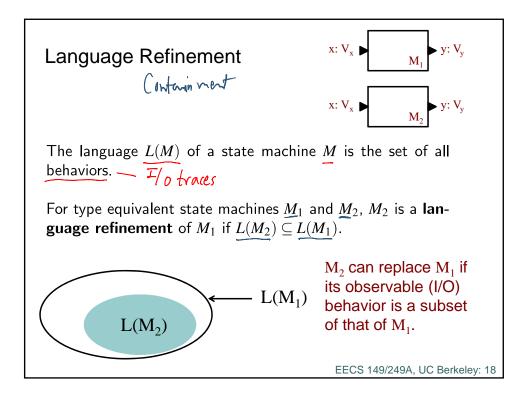


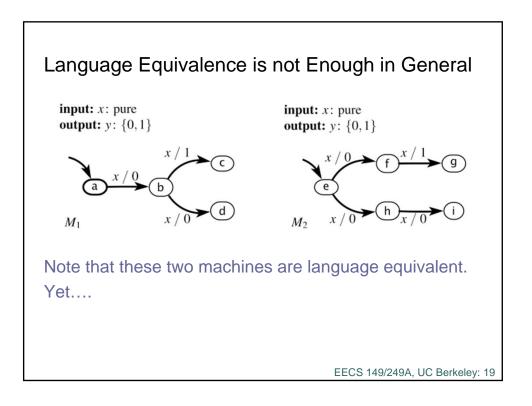
$$\begin{aligned} \mathcal{L}[F, \mathcal{L}[F], \mathcal{L}[F],$$

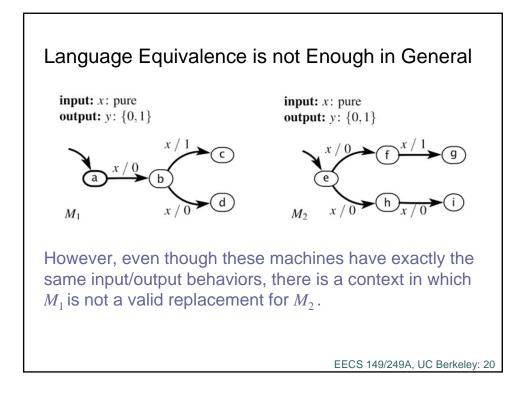
Behavior (Execution Trace) of a State Machine
An execution trace is a sequence of the form
$$q_0, q_1, q_2, q_3, \dots,$$

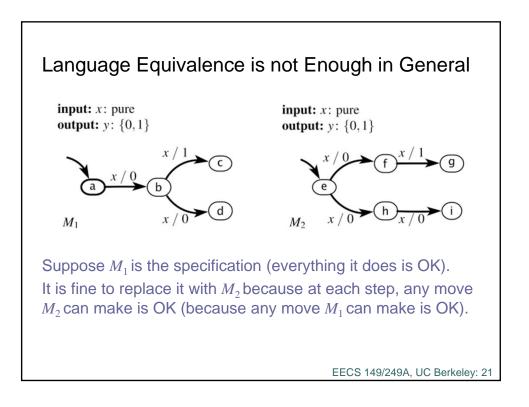
where $q_j = (x_j, s_j, y_j)$ where s_j is the state at step j, x_j is
the input valuation at step j , and y_j is the output valuation
at step j . Can also write as
 $s_0 \xrightarrow{x_0/y_0} s_1 \xrightarrow{x_1/y_1} s_2 \xrightarrow{x_2/y_2} \dots$
For language refinement, traces will comprise only of inputs and outputs, not of states.

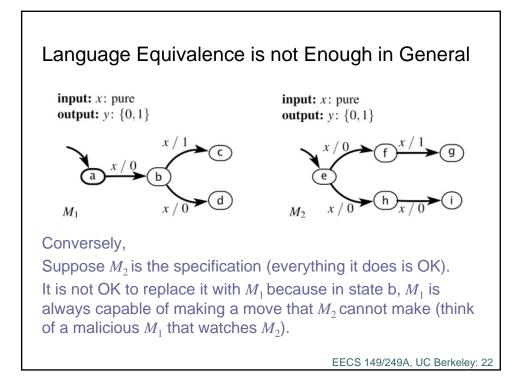
EECS 149/249A, UC Berkeley: 16

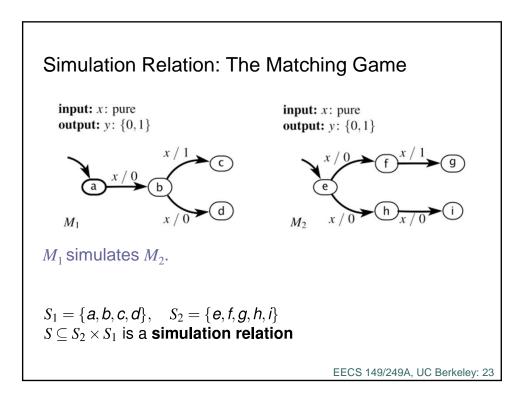


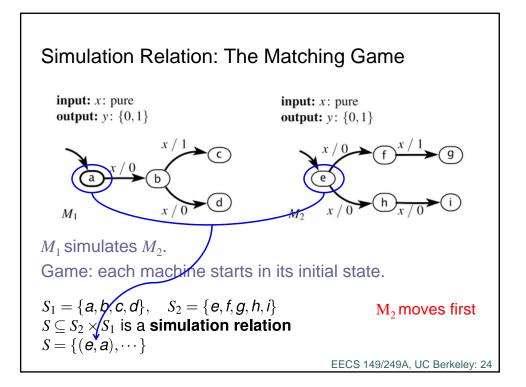


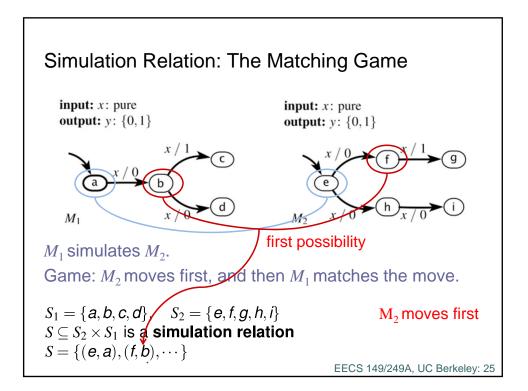


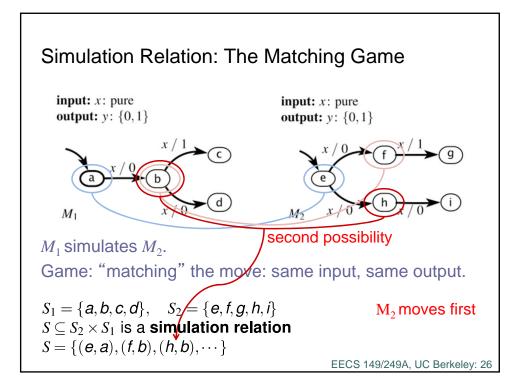


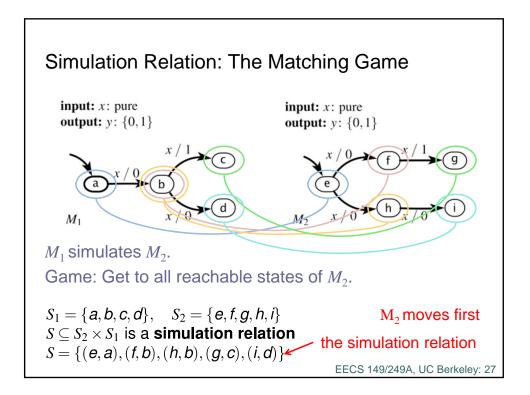


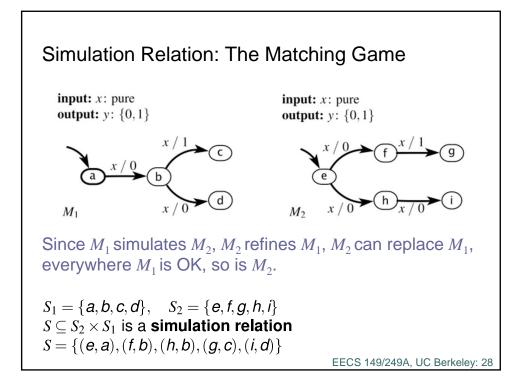


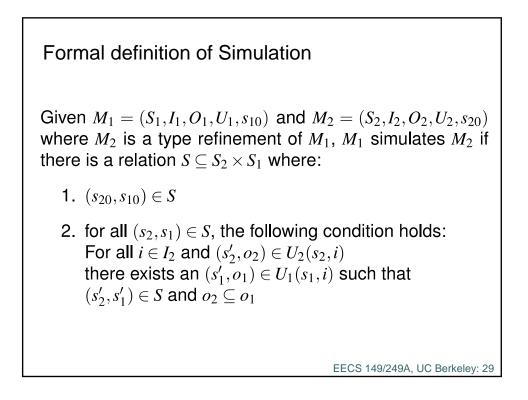


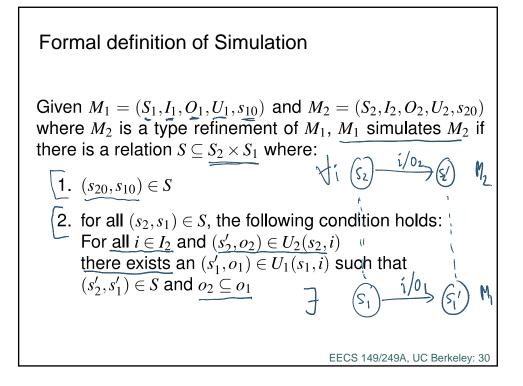


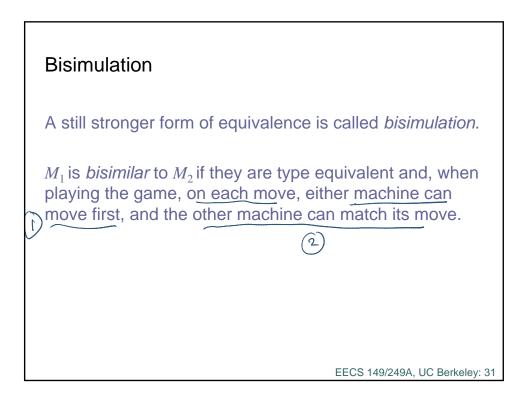


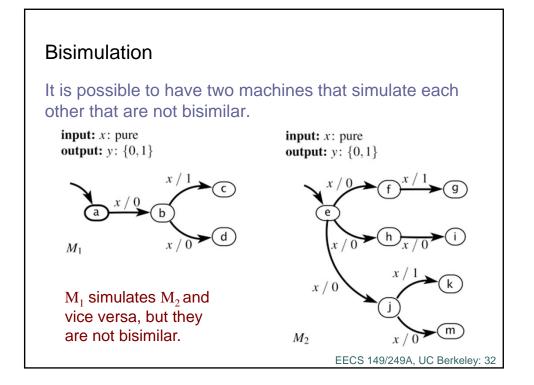


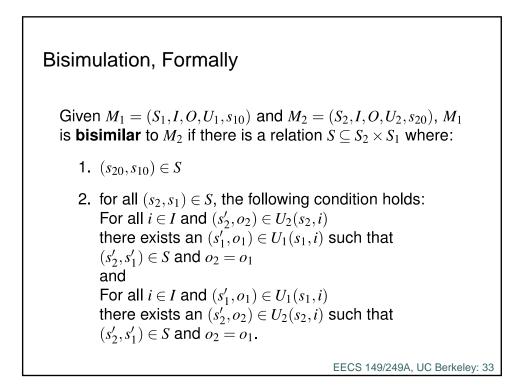












Simulation and Trace Containment

Theorem: If M_1 simulates M_2 , then $L(M_2) \subseteq L(M_1)$.

Note: If $L(M_2) \subseteq L(M_1)$, it is not necessarily the case that M_1 simulates M_2 .

EECS 149/249A, UC Berkeley: 34

